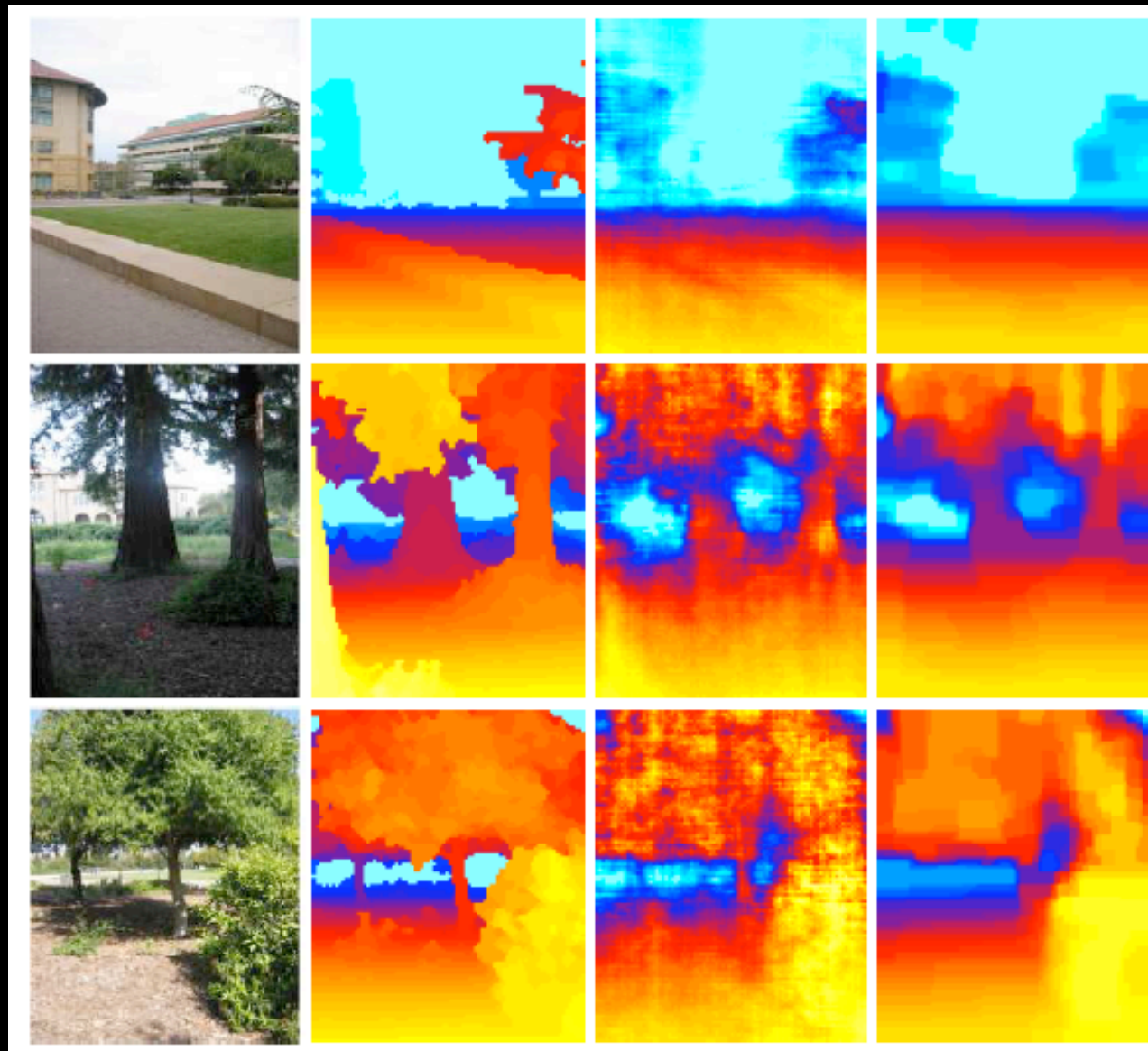
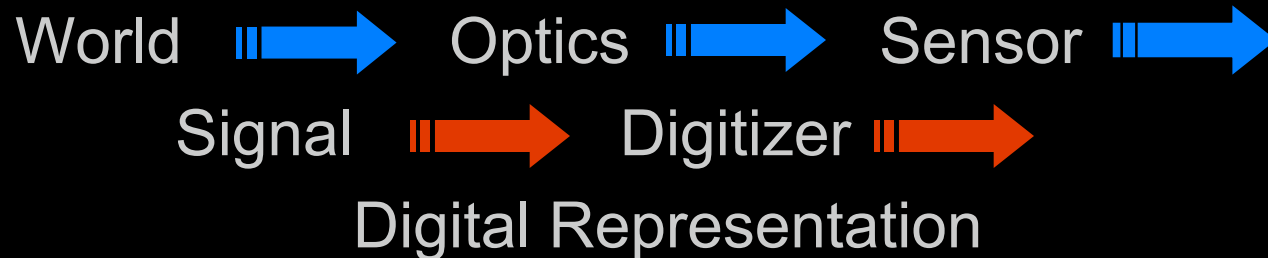


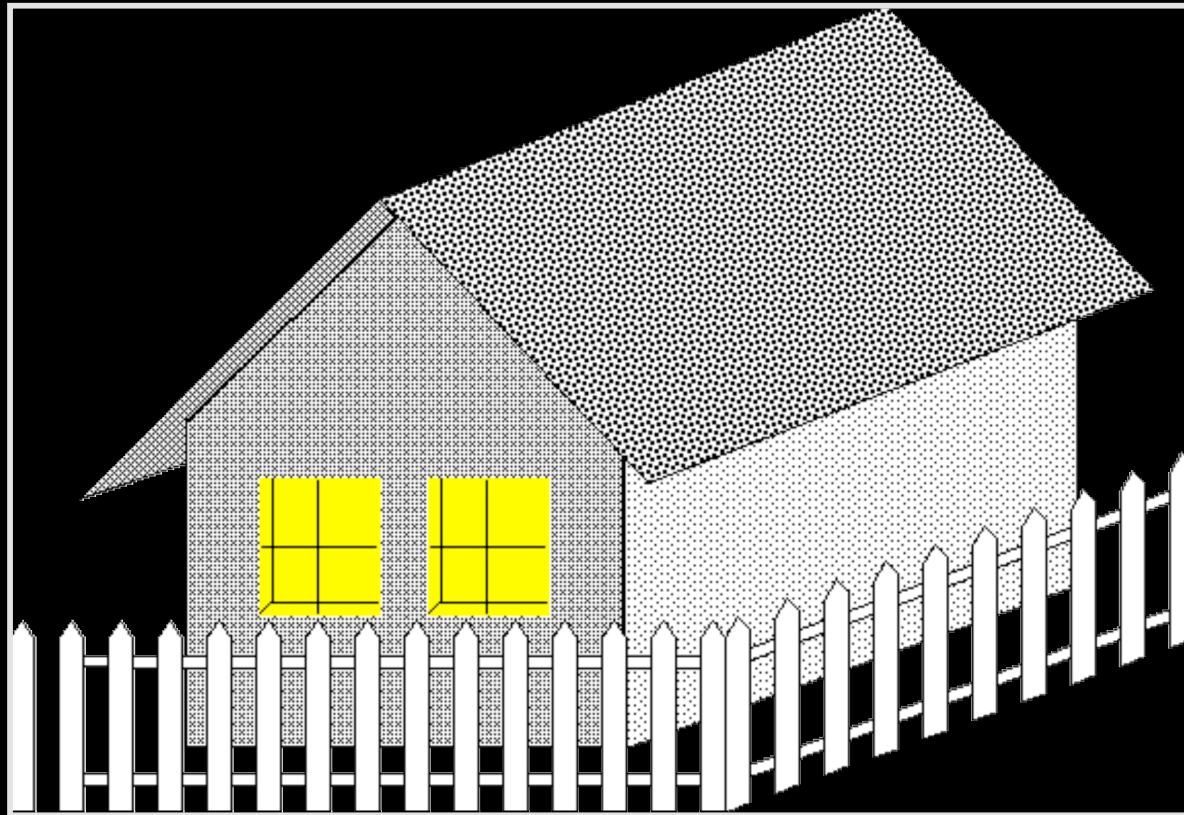
- Visible Light/Heat
  - Camera/Film combination
  - Digital Camera
  - Video Cameras
  - FLIR (Forward Looking Infrared)
- Range Sensors
  - Radar (active sensing)
    - sonar
    - laser
  - Triangulation
    - stereo
    - structured light
      - – striped, patterned
    - Moire
    - Holographic Interferometry
    - Lens Focus
    - Fresnel Diffraction
- Others
- Almost anything which produces a 2d signal that is related to the scene can be used as a sensor



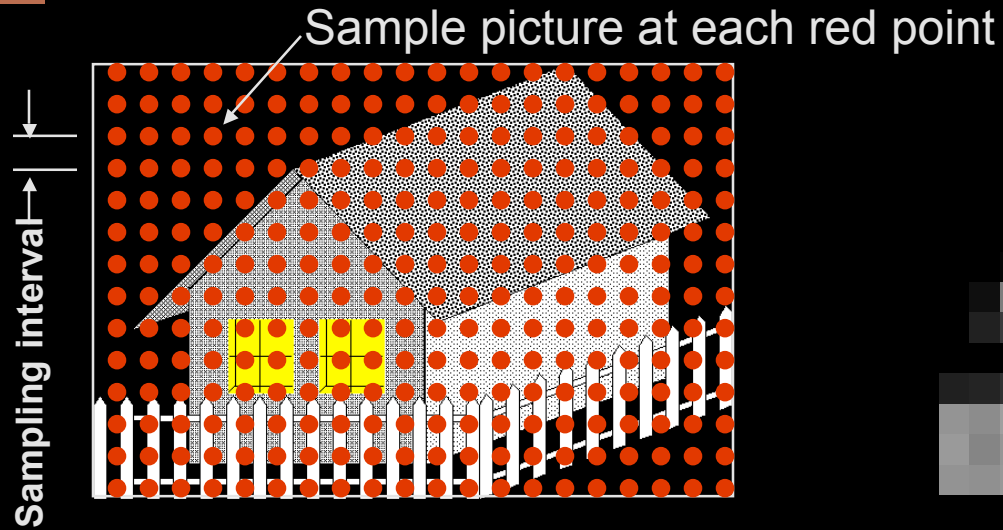




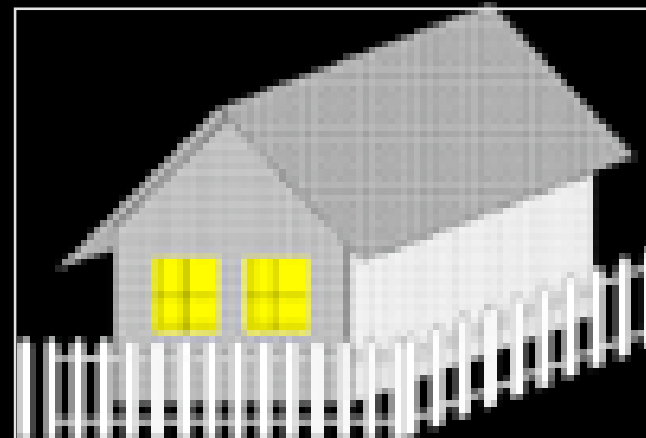
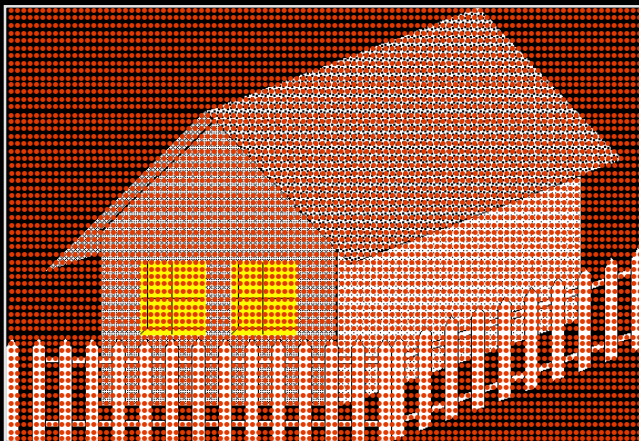
- Digitization: conversion of the continuous (in space and value) electrical signal into a digital signal (digital image)
- Three decisions must be made:
  - Spatial resolution (how many samples to take)
  - Signal resolution (dynamic range of values)
  - Tessellation pattern (how to 'cover' the image with sample points)



- Let's digitize this image
  - Assume a square sampling pattern
  - Vary density of sampling grid



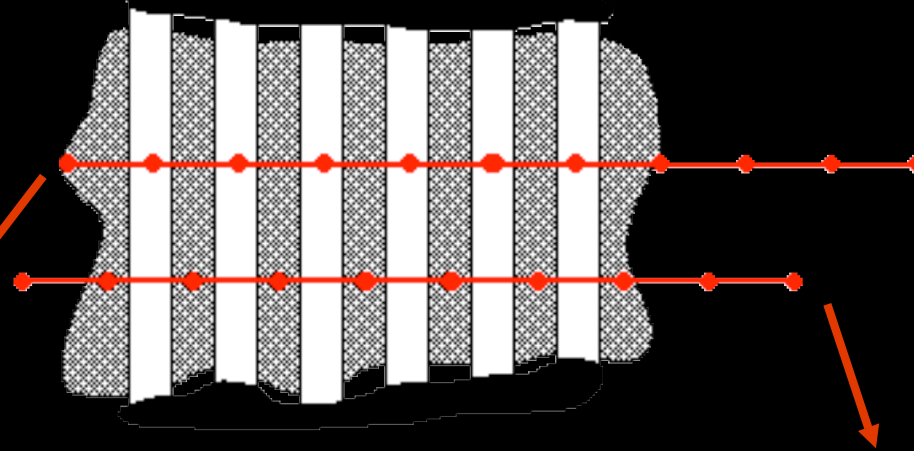
Coarse Sampling: 20 points per row by 14 rows



Finer Sampling: 100 points per row by 68 rows

- Look in vicinity of the picket fence:

Sampling Interval: 



100	100	100	100	100	100
100	100	100	100	100	100
100	100	100	100	100	100
100	100	100	100	100	100

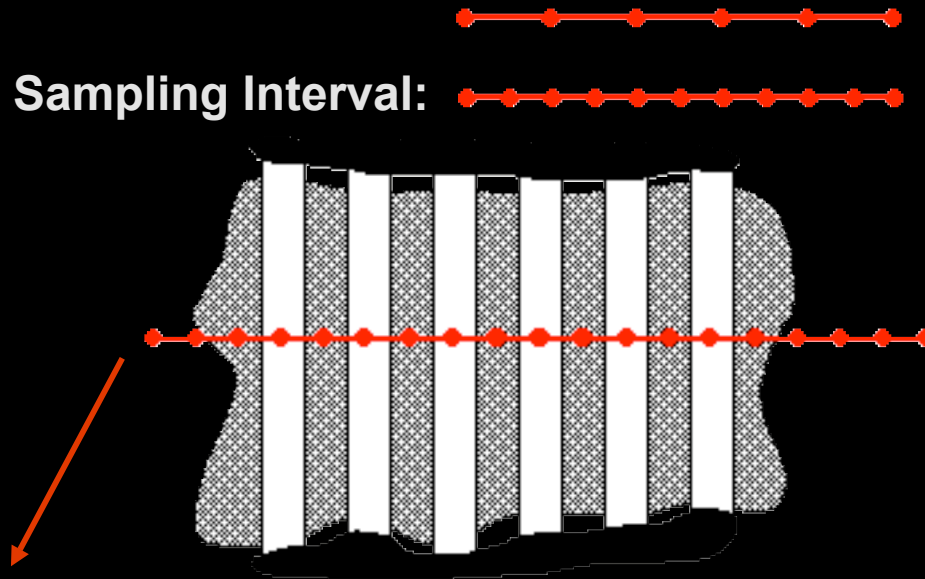
White Image!

**NO EVIDENCE  
OF THE FENCE!**

40	40	40	40	40	40
40	40	40	40	40	40
40	40	40	40	40	40
40	40	40	40	40	40

Dark Gray Image!

- Look in vicinity of picket fence:



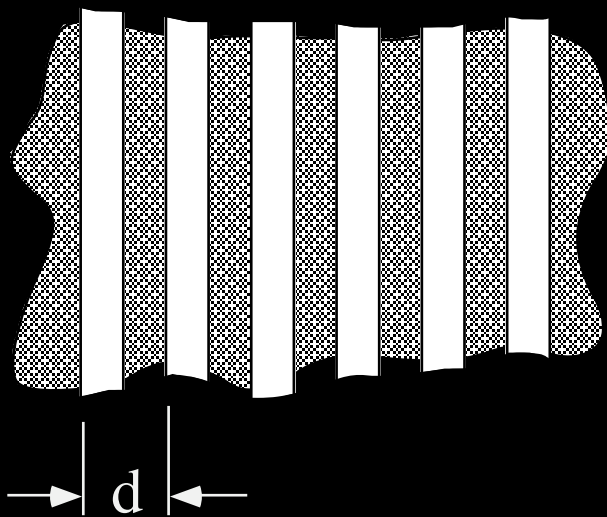
40	100	40	100	40
40	100	40	100	40
40	100	40	100	40
40	100	40	100	40

What's the difference between this attempt and the last one?

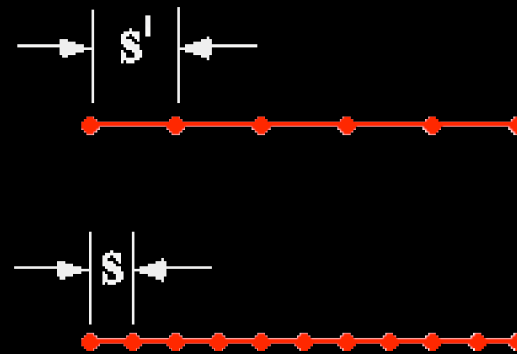
Now we've got a fence!



- Consider the repetitive structure of the fence:



## Sampling Intervals

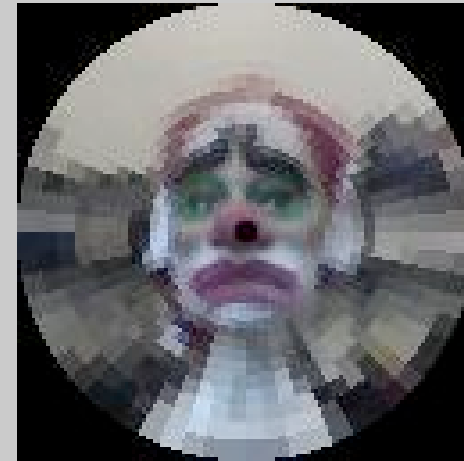
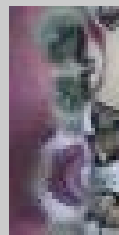


- Case 1:  $s' = d$**  The sampling interval is equal to the size of the repetitive structure **NO FENCE**
- Case 2:  $s = d/2$**  The sampling interval is one-half the size of the repetitive structure **FENCE**

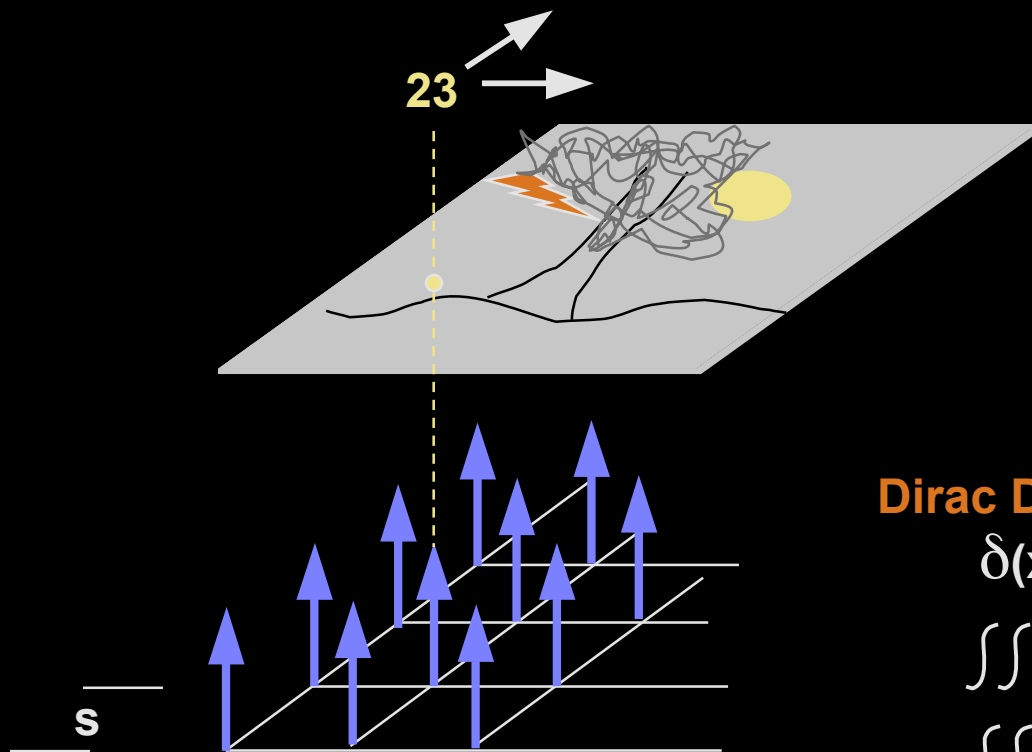
- IF: the size of the smallest structure to be preserved is  $d$
- THEN: the sampling interval must be smaller than  $d/2$
  
- Can be shown to be true mathematically
- Repetitive structure has a certain frequency ('pickets/foot')
  - To preserve structure must sample at twice the frequency
  - Holds for images, audio CDs, digital television....
- Leads naturally to Fourier Analysis (later in course)

- Fine near the center of the retina (fovea)
- Coarse at the edges
  
- Strategy:
  - Detect points of interest with low resolution sampling
  - “Foveate” to point of interest and use high resolution sampling.

Cartesian image ----- Log-Polar representation ----- Retinal representation



## Rough Idea: Ideal Case



"Digitized Image"

"Continuous Image"

Dirac Delta Function 2D "Comb"

$$\delta(x,y) = 0 \text{ for } x \neq 0, y \neq 0$$

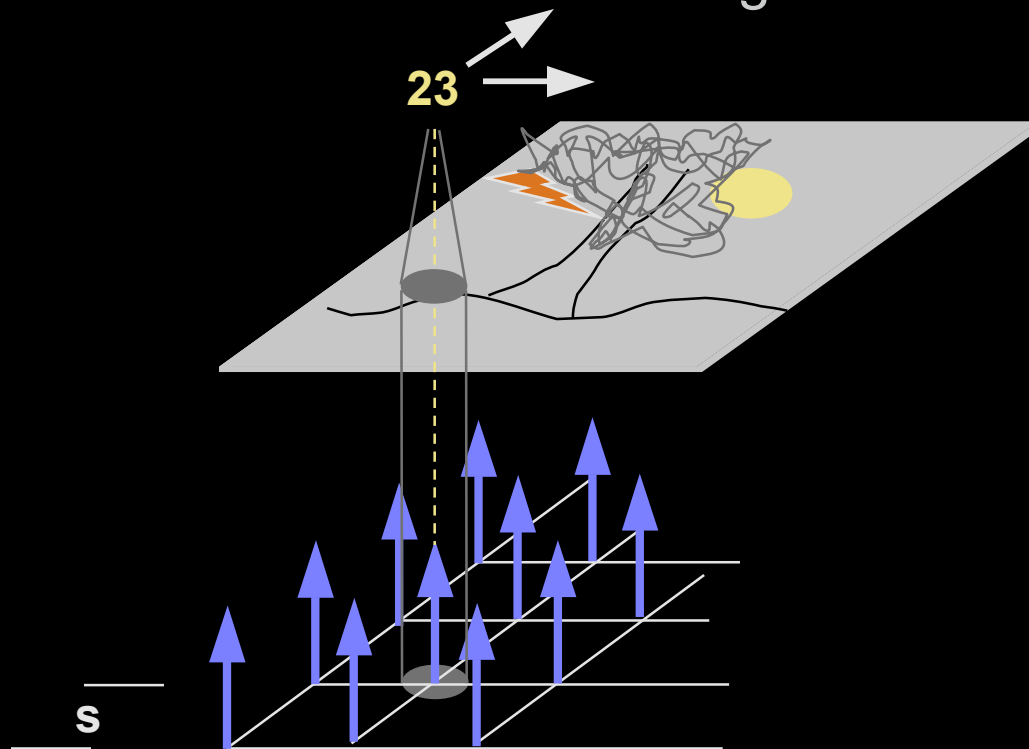
$$\iint \delta(x,y) dx dy = 1$$

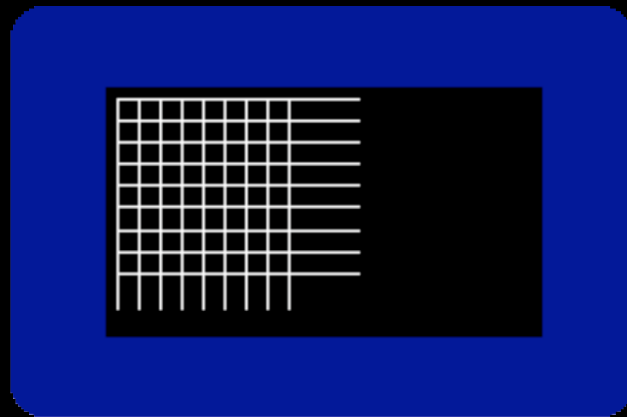
$$\iint f(x,y) \delta(x-a,y-b) dx dy = f(a,b)$$

$$\delta(x-ns,y-ns) \text{ for } n = 1 \dots 32 \text{ (e.g.)}$$

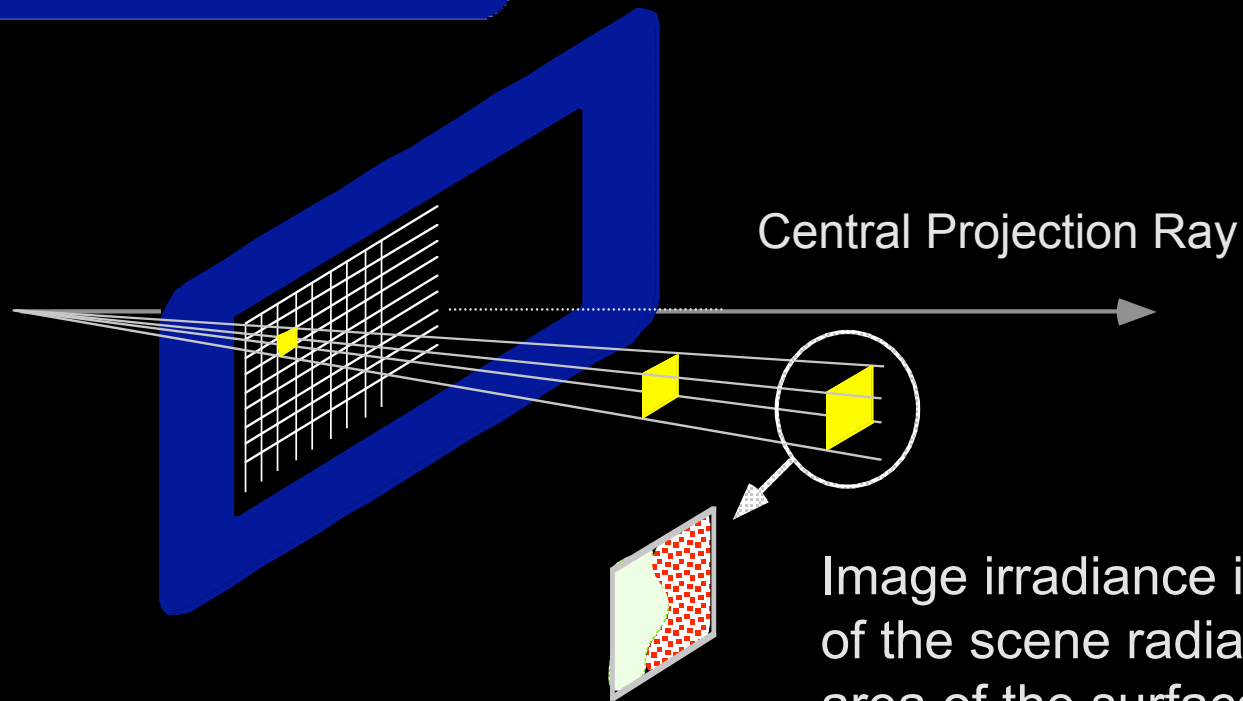
## ■ Rough Idea: Actual Case

- Can't realize an ideal point function in real equipment
- "Delta function" equivalent has an area
- Value returned is the average over this area





Digitized 35mm Slide or Film



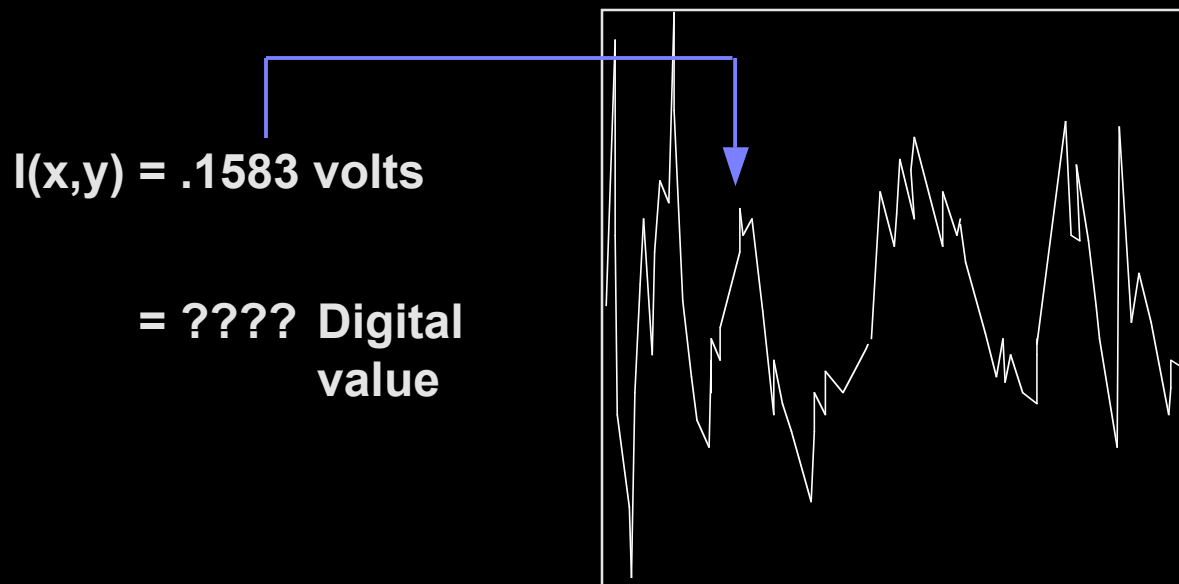
Central Projection Ray

Image irradiance is the average of the scene radiance over the area of the surface intersecting the solid angle!





- Goal: determine a mapping from a continuous signal (e.g. analog video signal) to one of  $K$  discrete (digital) levels.



- $I(x,y)$  = continuous signal:  $0 \leq I \leq M$
- Want to quantize to  $K$  values  $0, 1, \dots, K-1$
- $K$  usually chosen to be a power of 2:

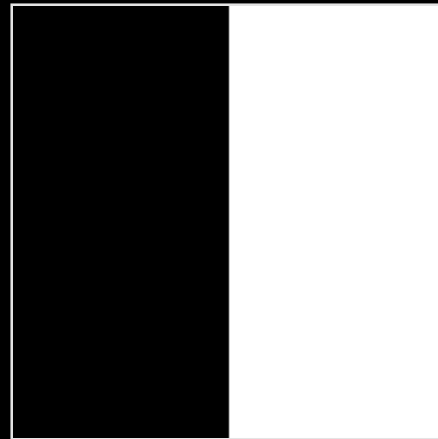
K: #Levels	#Bits
2	1
4	2
8	3
16	4
32	5
64	6
128	7
256	8

- Mapping from input signal to output signal is to be determined.
- Several types of mappings: uniform, logarithmic, etc.

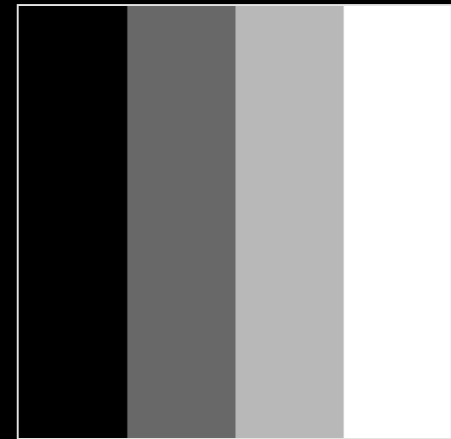
Original



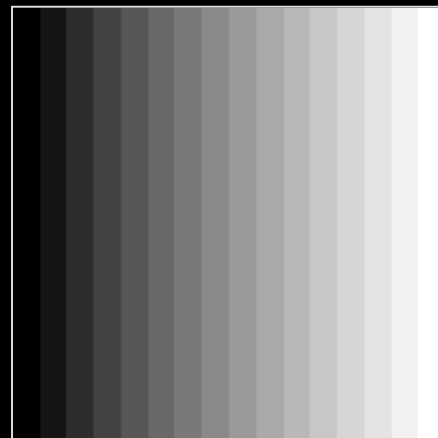
Linear Ramp



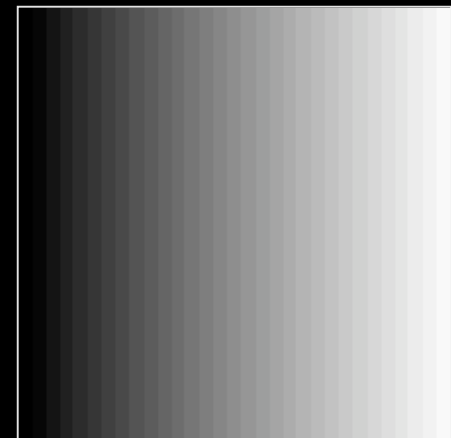
K=2



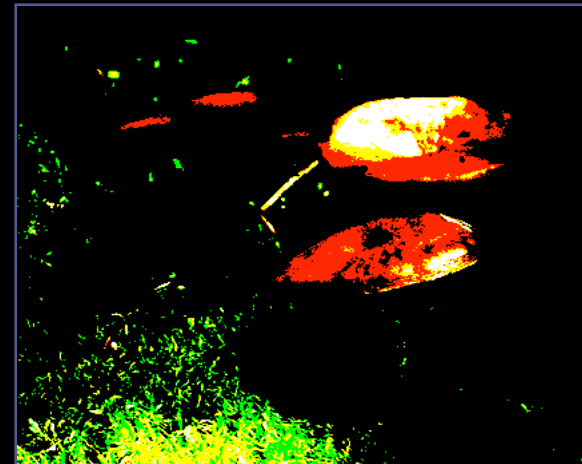
K=4



K=16



K=32



**K=2 (each color)**



**K=4 (each color)**



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Computer Vision

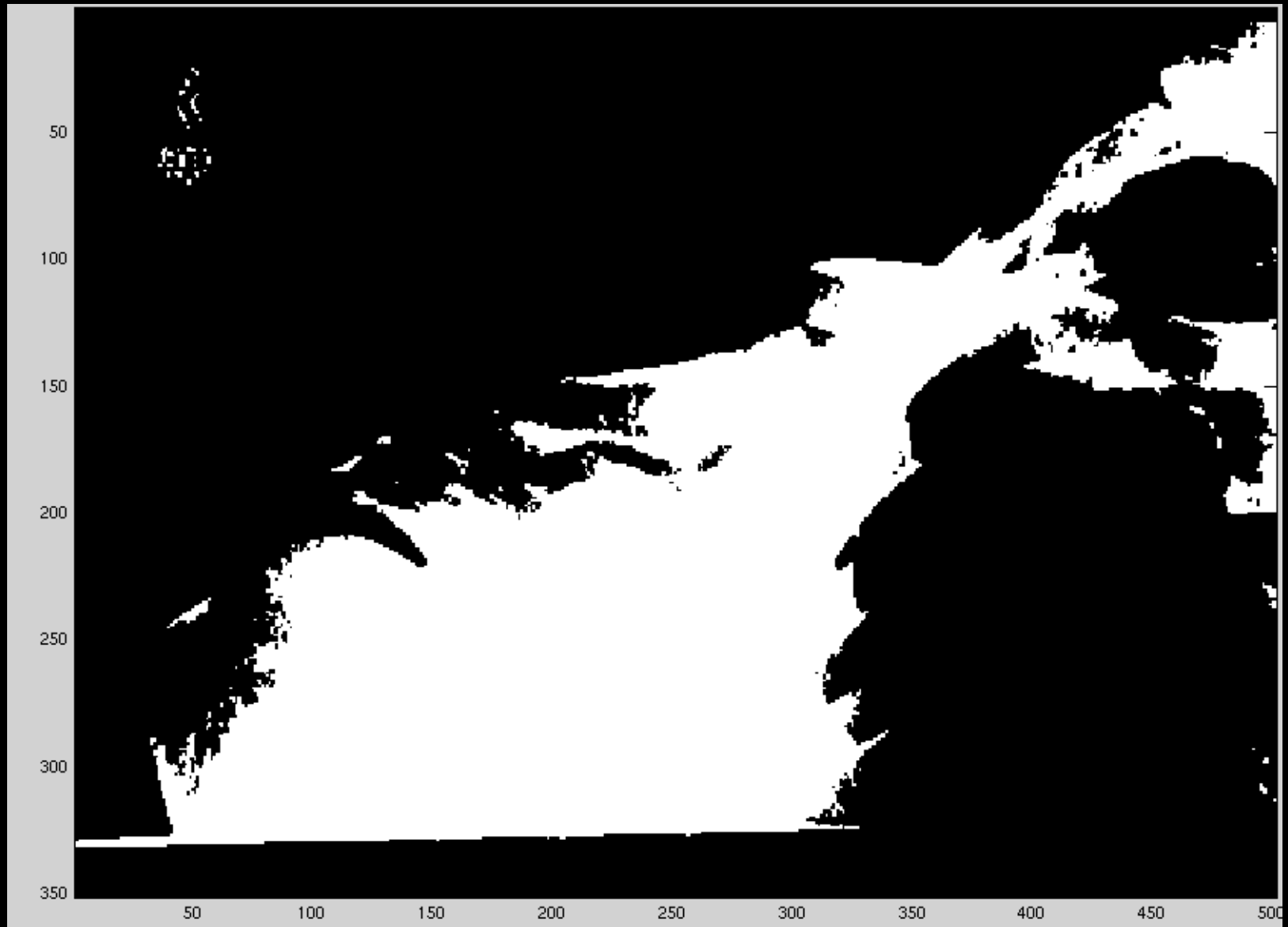
# Digital X-rays: 8 is enough?



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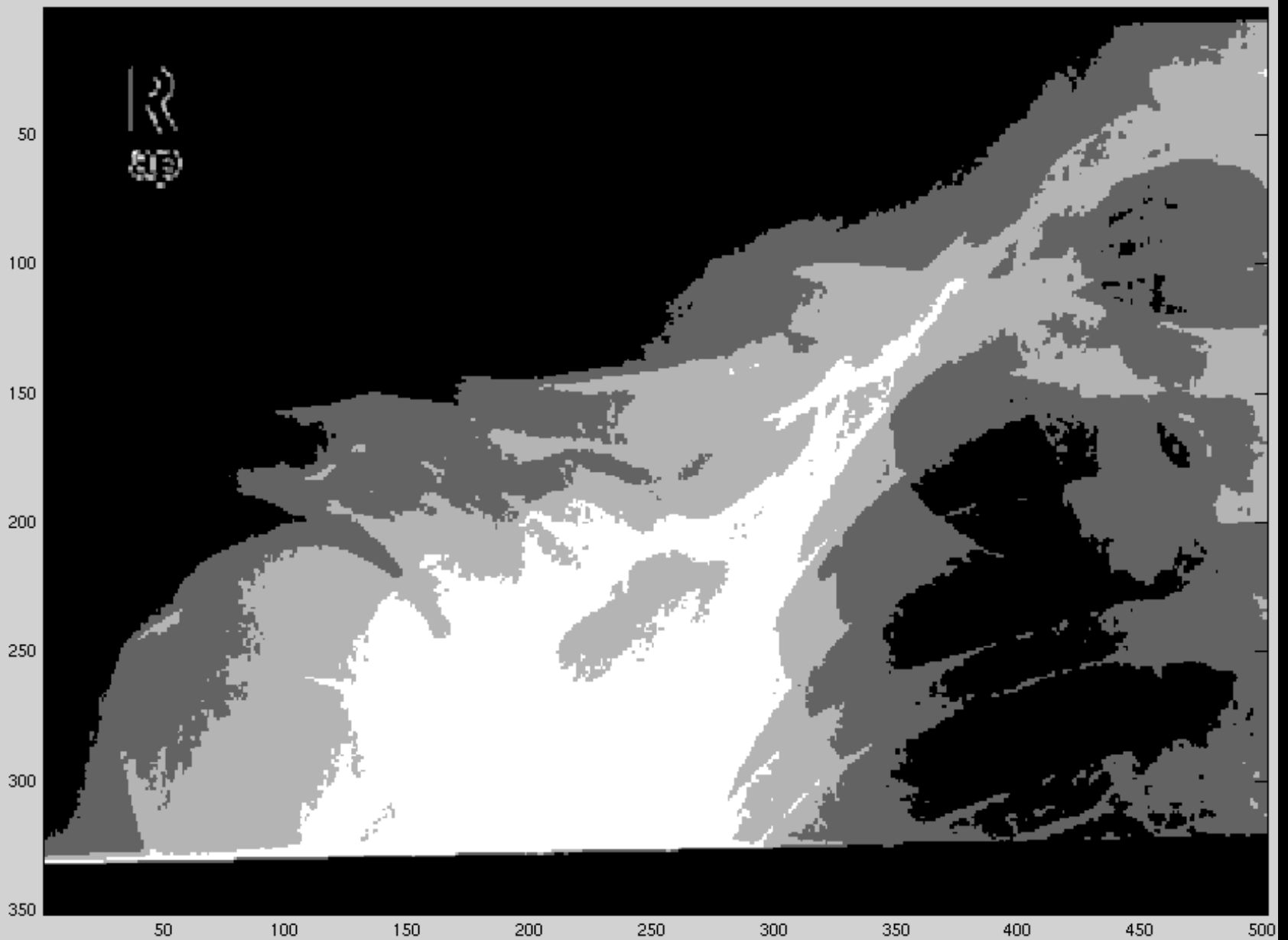
# Digital X-rays: 1 bit



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# Digital X-rays: 2 bits





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# Digital X-rays: 3 bit



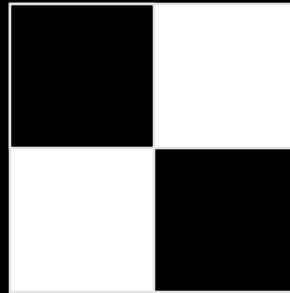
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# Digital X-rays: 8 is enough?



- More gray levels can be simulated with more resolution.
- A “gray” pixel:

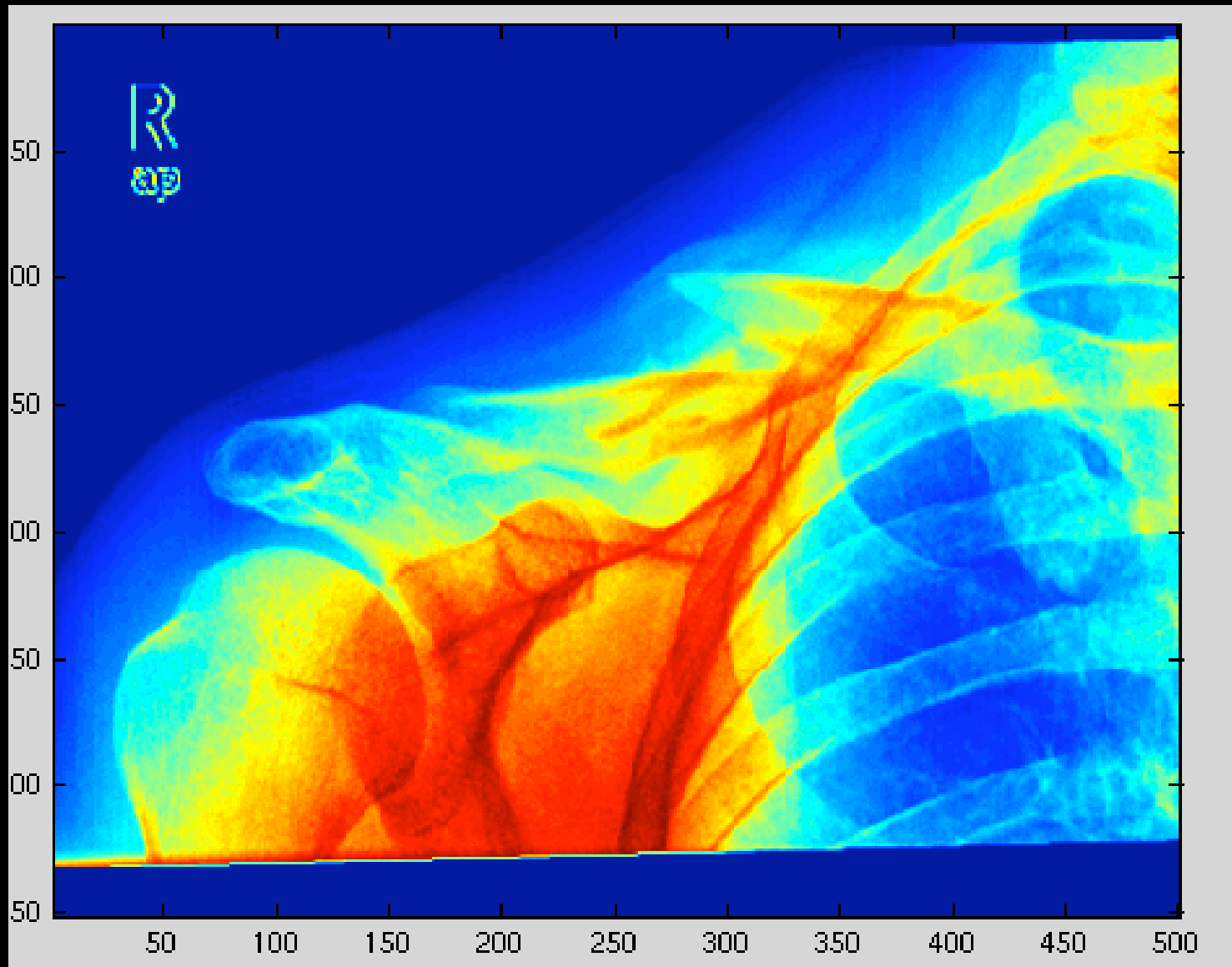


- Doubling the resolution in each direction adds at least four new gray levels. But maybe more?

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# Pseudocolor

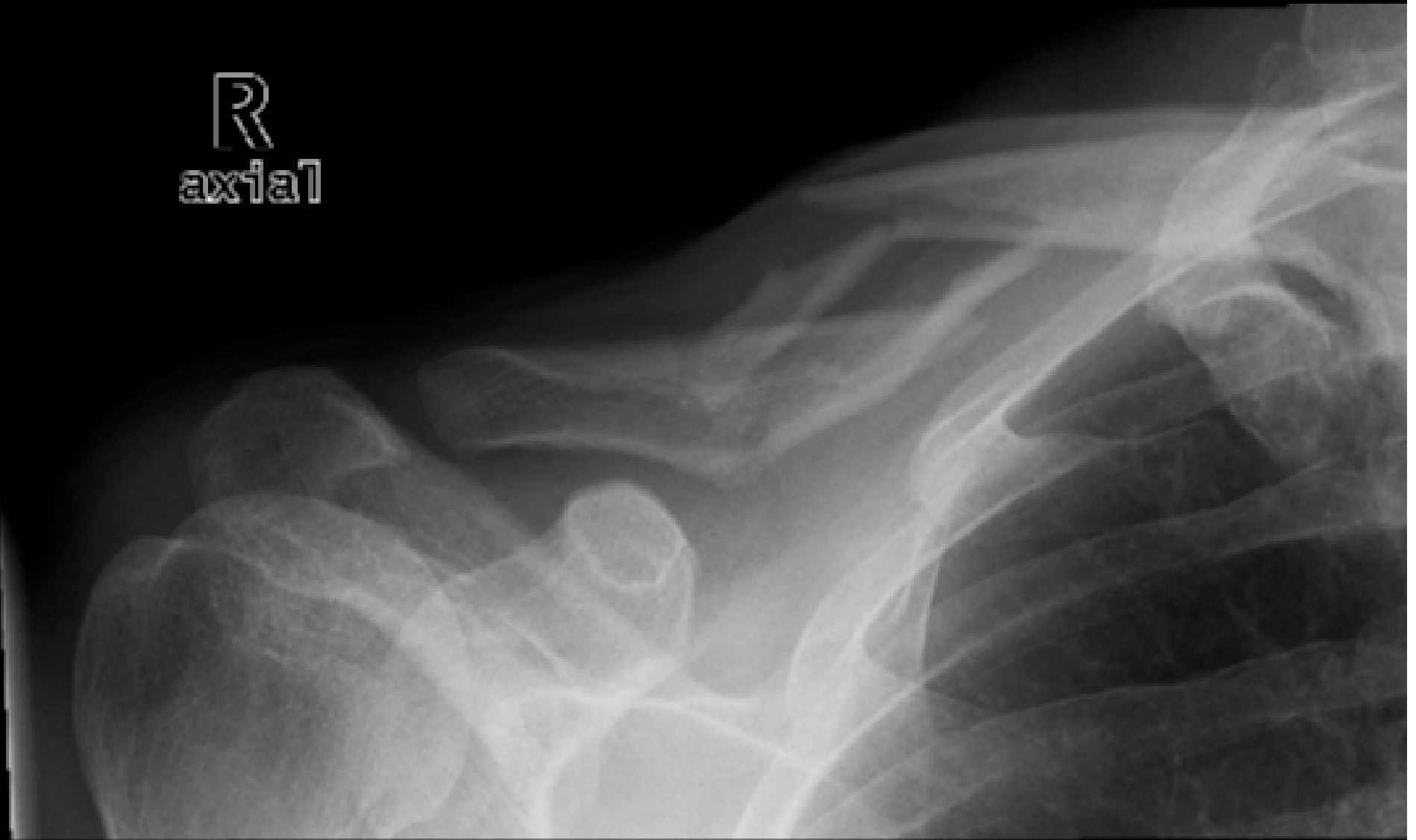


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# Digital X-rays: 8 is enough?

R  
axial



Introduction to

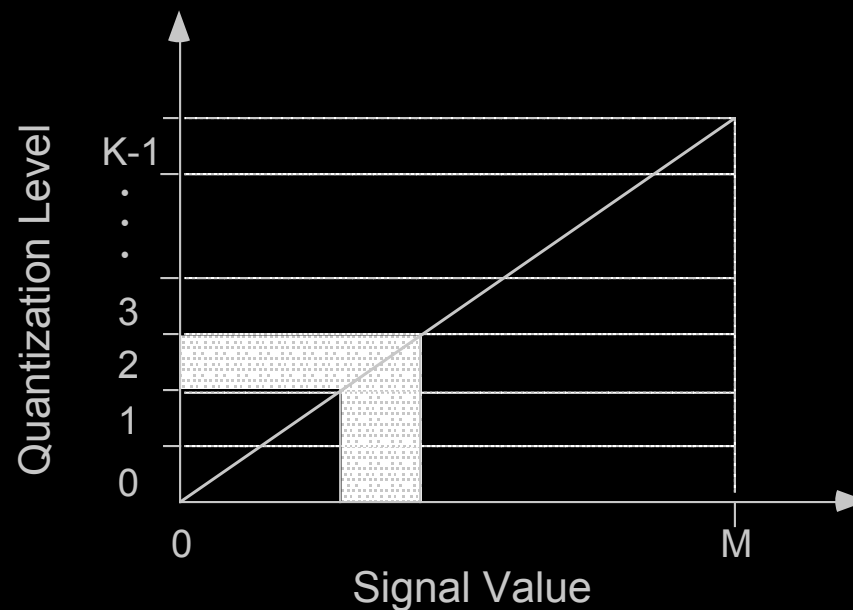
Computer Vision

MRI

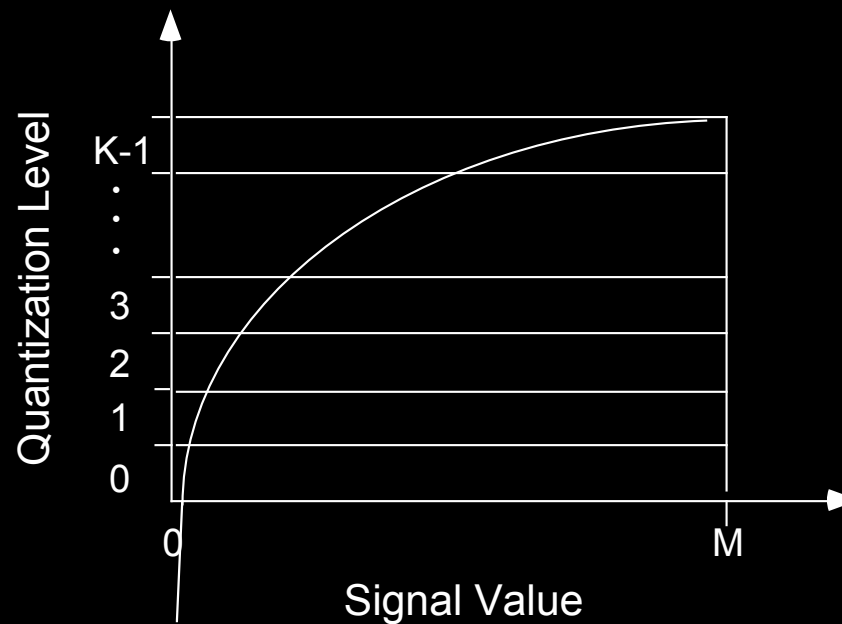


2. MRI Axi

- Uniform sampling divides the signal range  $[0-M]$  into  $K$  equal-sized intervals.
- The integers  $0, \dots, K-1$  are assigned to these intervals.
- All signal values within an interval are represented by the associated integer value.
- Defines a mapping:



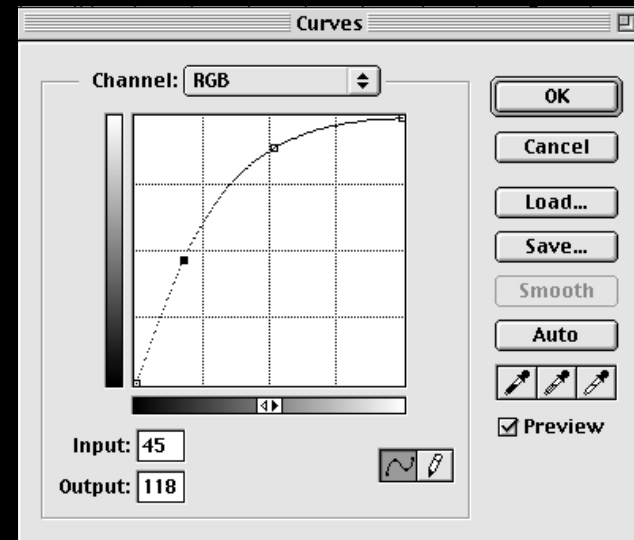
- Signal is  $\log I(x,y)$ .
- Effect is:



- Detail enhanced in the low signal values at expense of detail in high signal values.

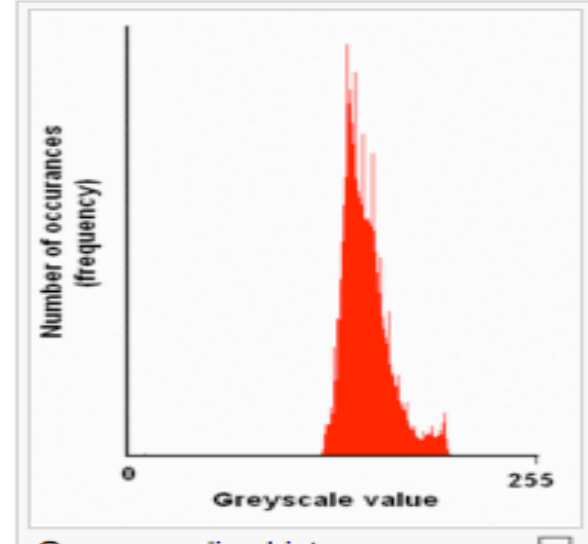


## Quantization Curve





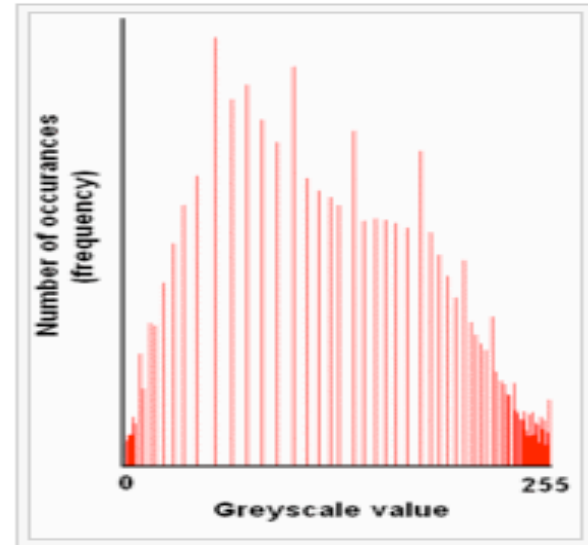
An unequalized image



Corresponding histogram



Same image after histogram equalization



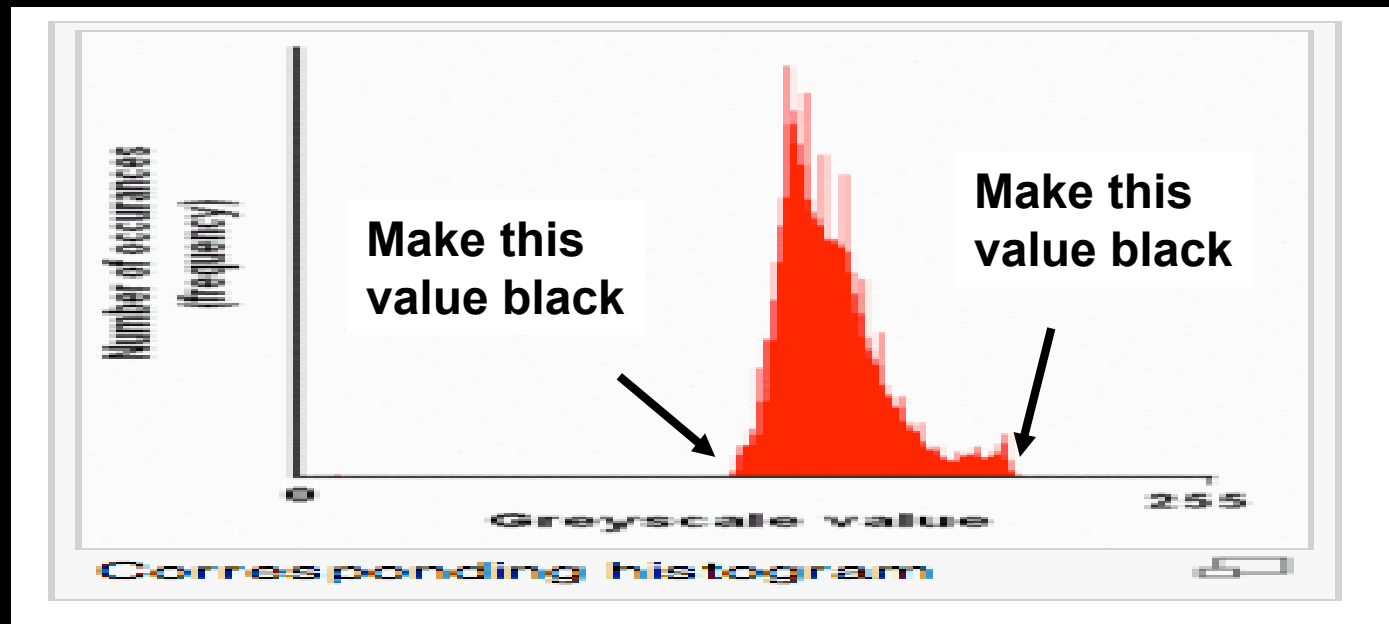
Corresponding histogram

- Two methods:
  - Change the data (histogram equalization)
  - Use a look up table (brightness or color remapping)

Maps Brightness Value -> RGB Color

- 0 -> (1, 0, 0)
- 1 -> (0, 1, 0)
- 2 -> (0, 0, 1)
- 3 -> (0, 1, 1)
- ...
- 255 -> (1, 1, 1)

- Two methods:
  - Change the data.
  - Use a look up table.



Maps Brightness Value -> RGB Color

- 0 -> (0, 0, 0)
- 1 -> (0, 0, 0)
- 2 -> (0, 0, 0)
- 3 -> (0, 0, 0)
- ...
- 130 -> (0,0,0)
- 131 -> (.01, .01, .01)
- 132 -> (.02,.02,.02)
- ...
- 200 -> (1,1,1)
- 201 -> (1,1,1)
- ...
- 255 -> (1, 1, 1)



An unequalized image

